

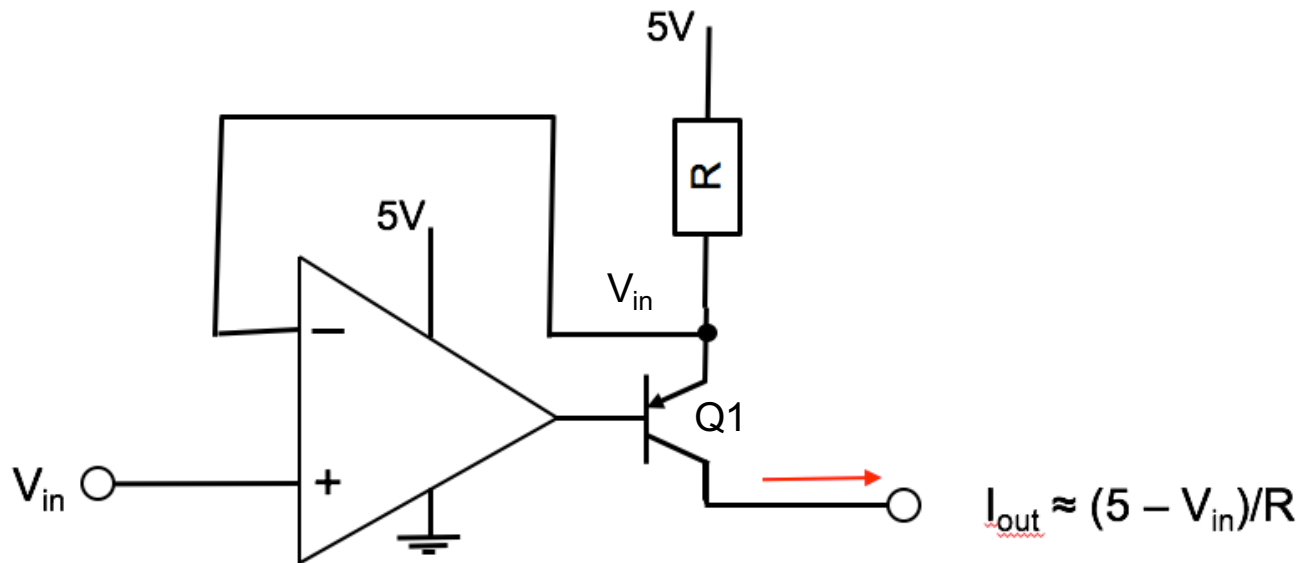
Lecture 5

Applications of Operational Amplifiers

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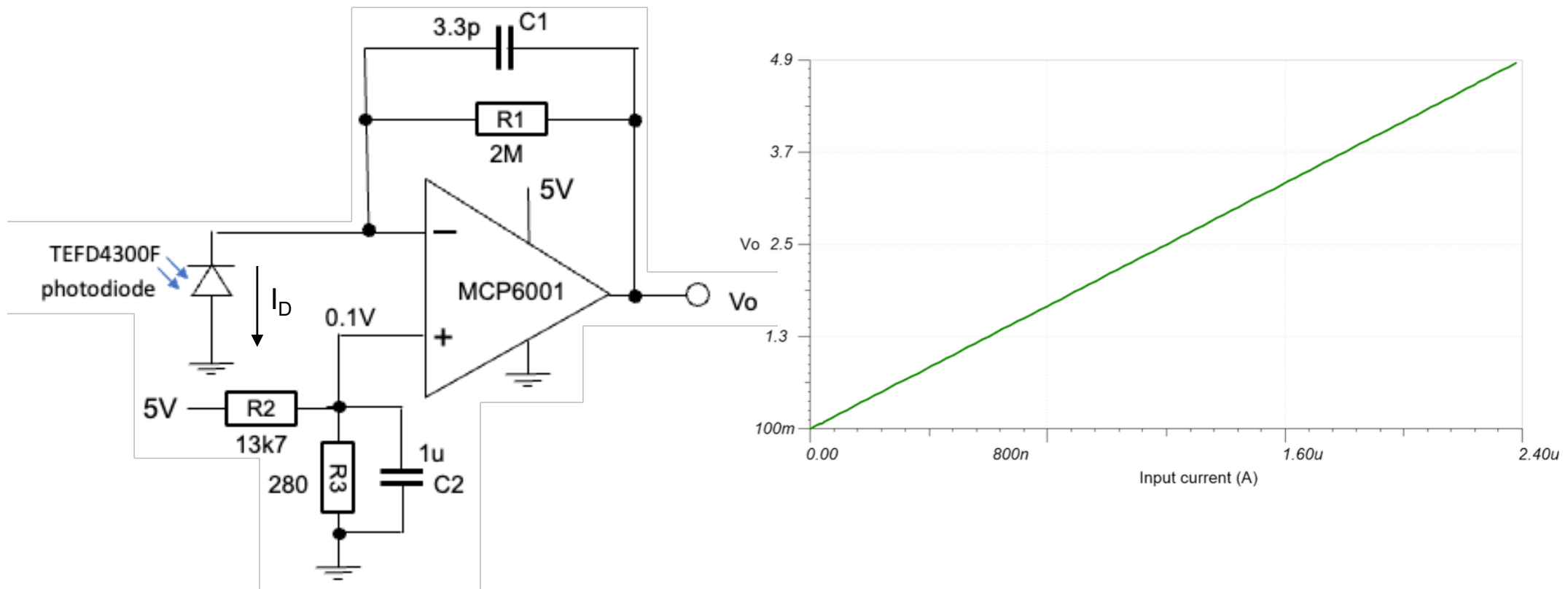
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Voltage to current converter



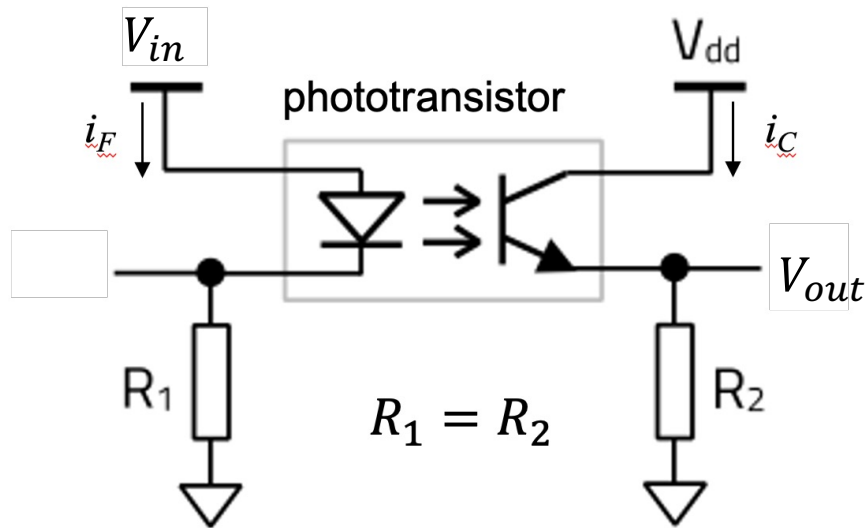
- ❖ PNP transistor Q1 must be in linear region
- ❖ Op-amp forces $V_- = V_{in}$
- ❖ R (with 5V) determines the current as $I_R = (5 - V_{in})/R$
- ❖ Assume no current flows into input of op-amp
- ❖ $I_C = I_E - I_B$, assume current gain $\beta \gg 1$, $I_C \approx I_E \approx I_R$
- ❖ Can use FET or MOSFET in place of BJT

Current amplifier (photo detector)

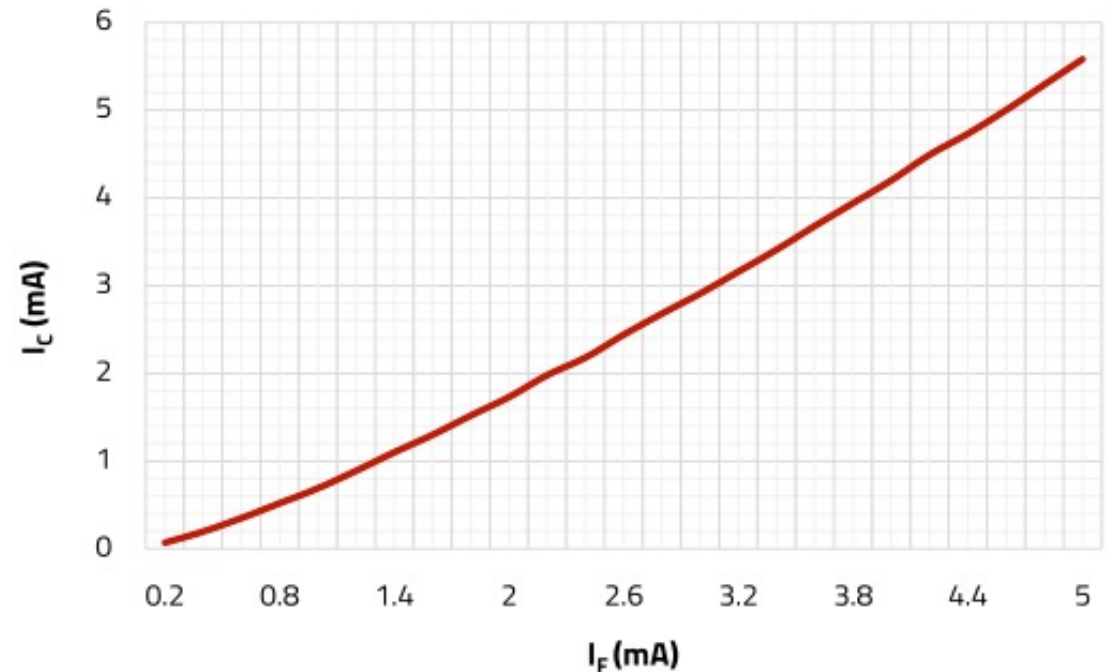


- ❖ Photodiode generates reverse current proportional to light intensity (visible or IR) received.
- ❖ Inverting op-amp used to convert diode current into a voltage.
- ❖ R2 and R3 provides an offset at the output when photodiode current is 0.

Optical isolating amplifier

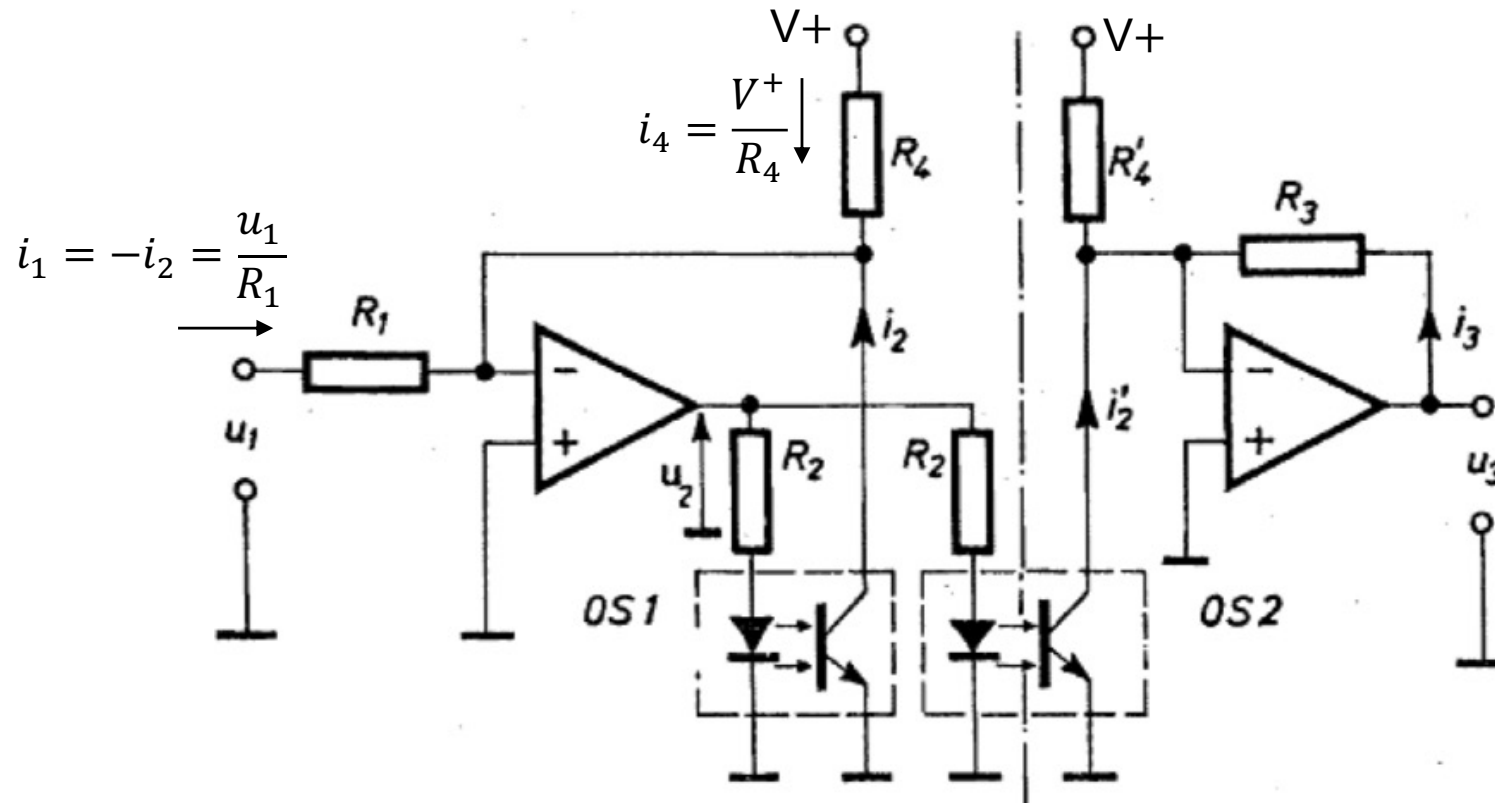


$$\text{Current Transfer Ratio (CTR)} = \frac{i_C}{i_F}$$



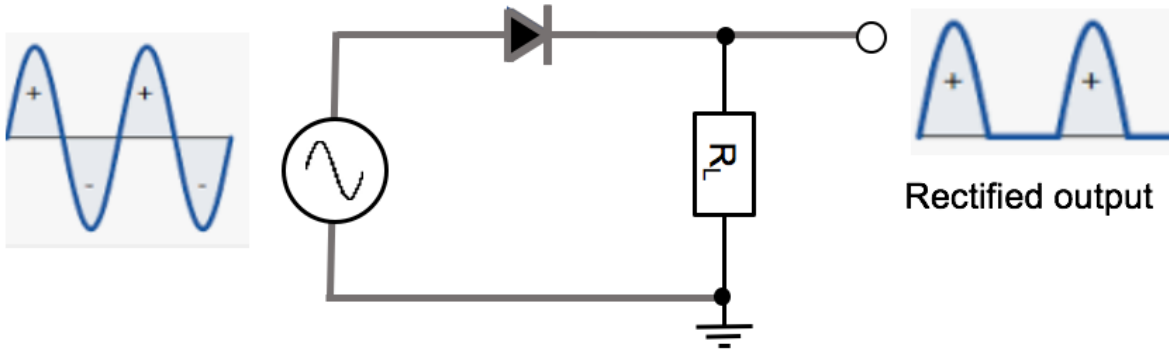
- ❖ Phototransistor provides electrical isolation (e.g. 5kV) between two parts of circuit.
- ❖ Consist of a light emitting diode and a photosensitive transistor.
- ❖ Diode current, through light, is transferred to transistor output current (current transfer ratio, CTR).
- ❖ The relationship between the diode current i_F and transistor current i_C is **not** linear.

Optical isolating amplifier

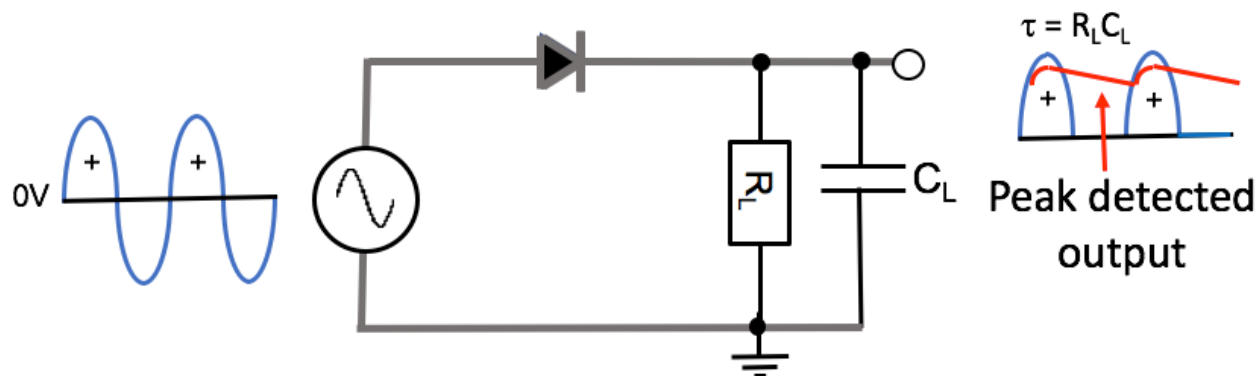


- ❖ To mitigate the non-linear characteristics of the phototransistor, use two “matching” phototransistors as shown above.
- ❖ Output of 1st op-amp u_2 is settled to a value such that $i_2 = -(i_1 + i_4)$.
- ❖ Assuming $R_4 = R'_4$, then $i'_2 = i_2$. Hence, $u_3 = -i'_2 \times R_3 = \frac{R_3}{R_1} \times u_1$.

Half-wave rectifier & Peak detector

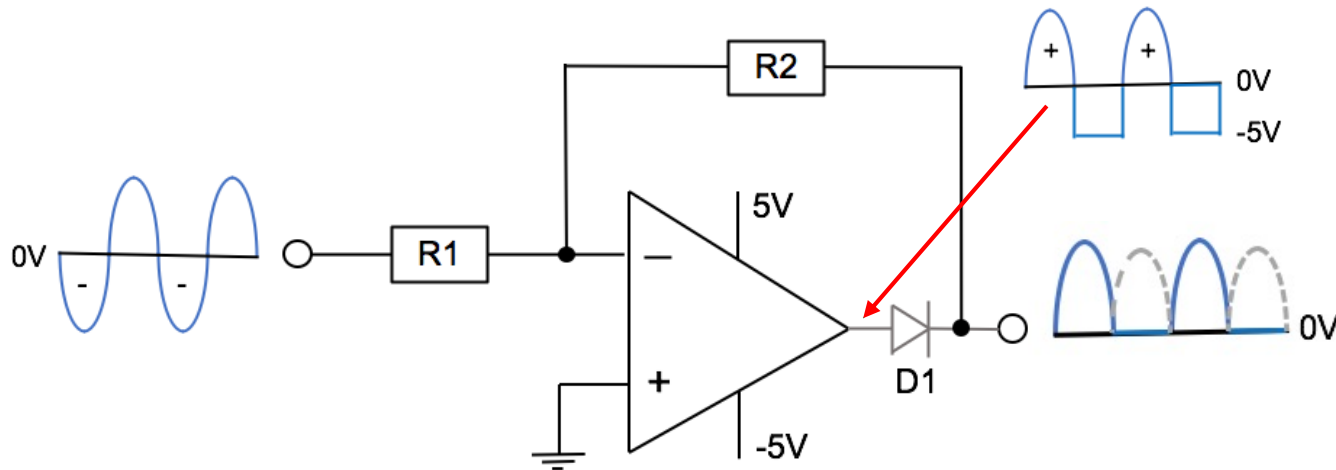


- ❖ Diode and resistor – simple half-wave rectifier
- ❖ Commonly used in power electronics or and multimeters

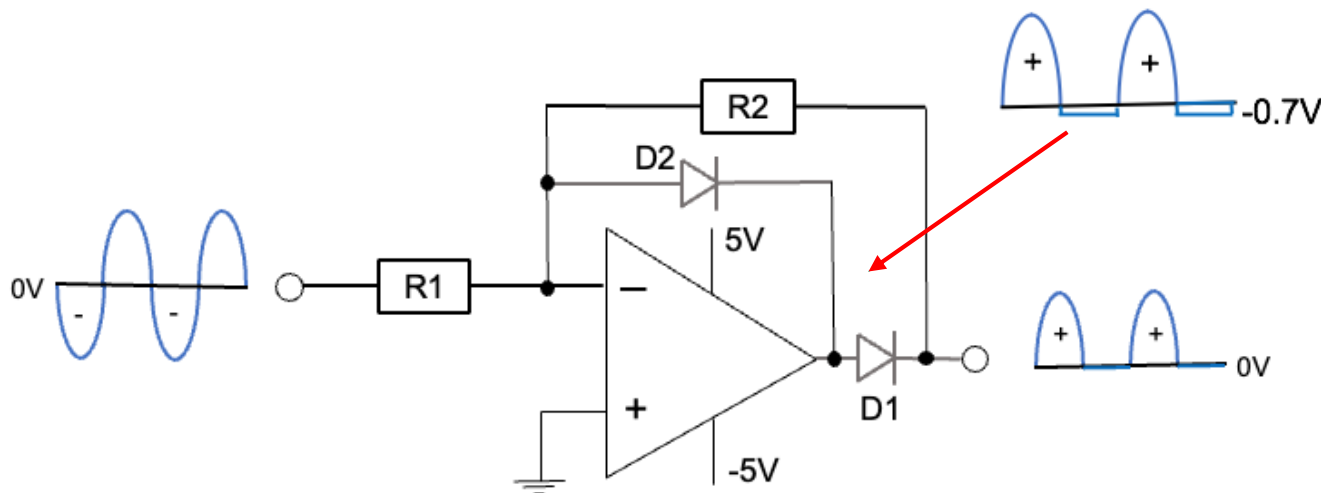


- ❖ C_L charges to V_{in} peak $- V_D$
- ❖ Diode prevents C_L discharging when V_{in} drops
- ❖ R_L discharges capacitor with time constant $R_L C_L$
- ❖ C_L charges again on the positive cycle

Rectifier with op-amp buffering

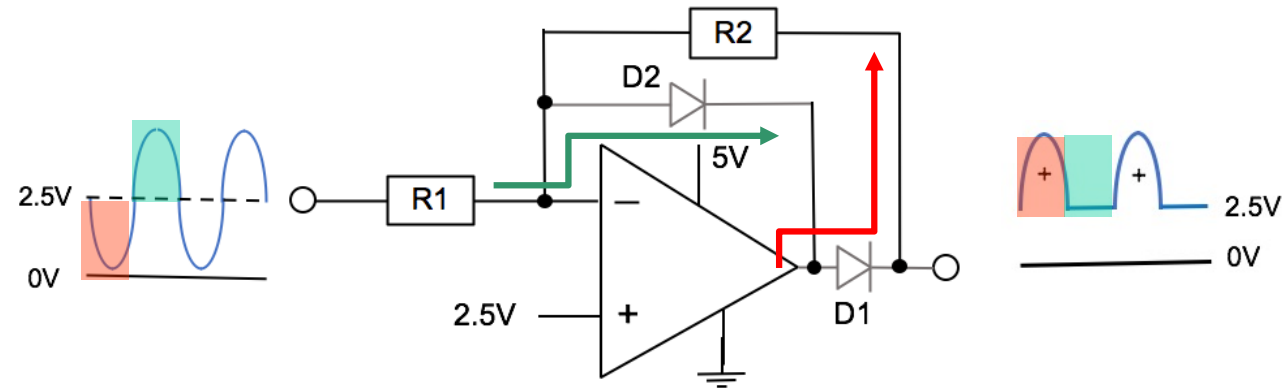


- ❖ Assume $R1 = R2$
- ❖ Negative cycles result in an inverting amplifier with gain = -1
- ❖ Op-amp drives output with low impedance
- ❖ Positive cycles, op-amp isolated from output
- ❖ Poor full-wave rectification



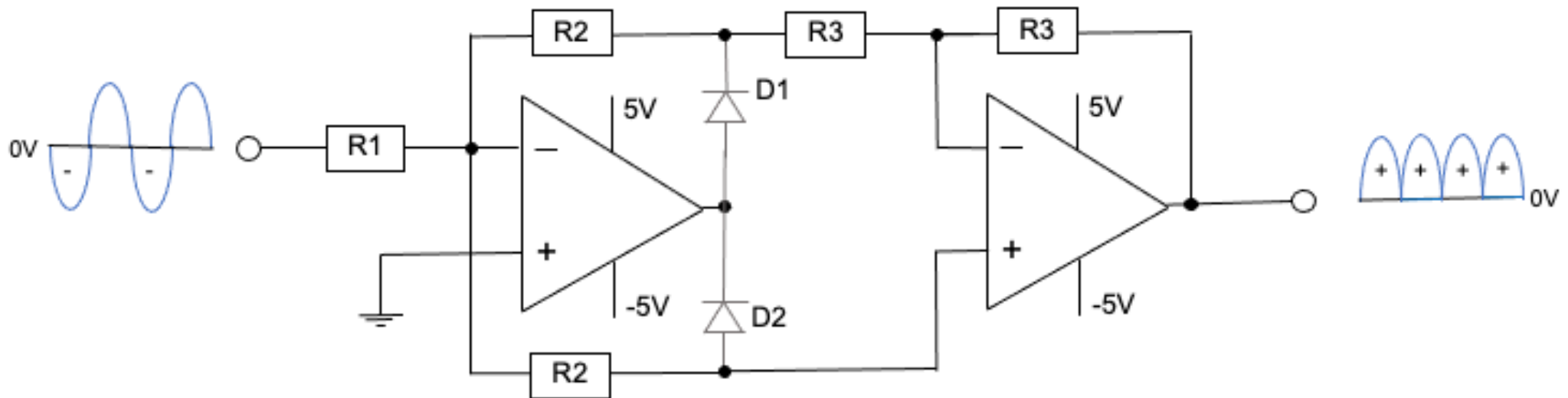
- ❖ D1 provides feedback path for negative input cycles
- ❖ D2 provides feedback path for positive input cycles
- ❖ Op-amp operating throughout entire cycle

Single power supply “rectifier”



- ❖ Single power supply rectifier is implemented by shifting the reference voltage to $\frac{1}{2} V_{DD}$

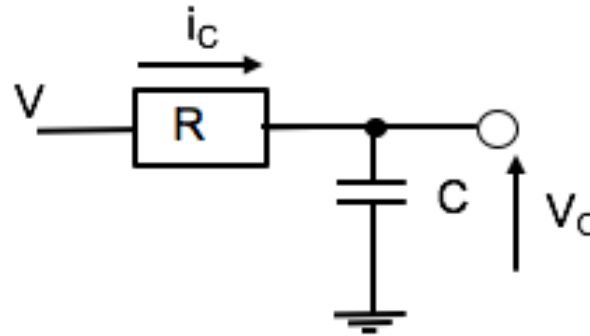
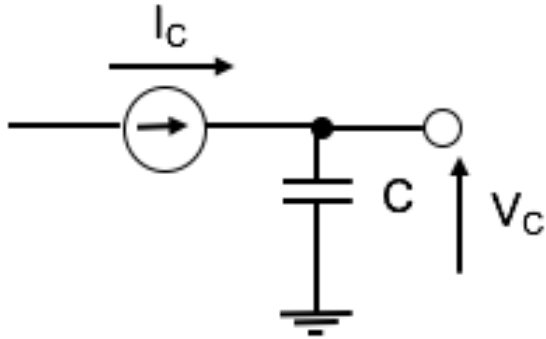
Full-wave rectifier



- ❖ Precision full-wave rectifier with two op-amps
- ❖ Op-amp 1 provides two separate half of the rectified signals
- ❖ Op-amp 2 sums two half cycles together

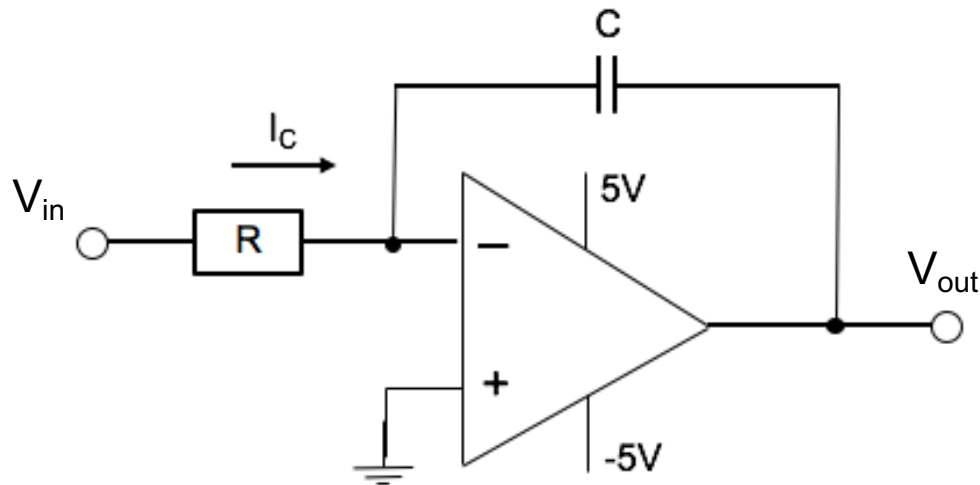
Integrator

$$\diamond i_C = C \frac{dV_C}{dt} \Rightarrow V_C = \frac{1}{C} \int i_C dt + V_C(0)$$

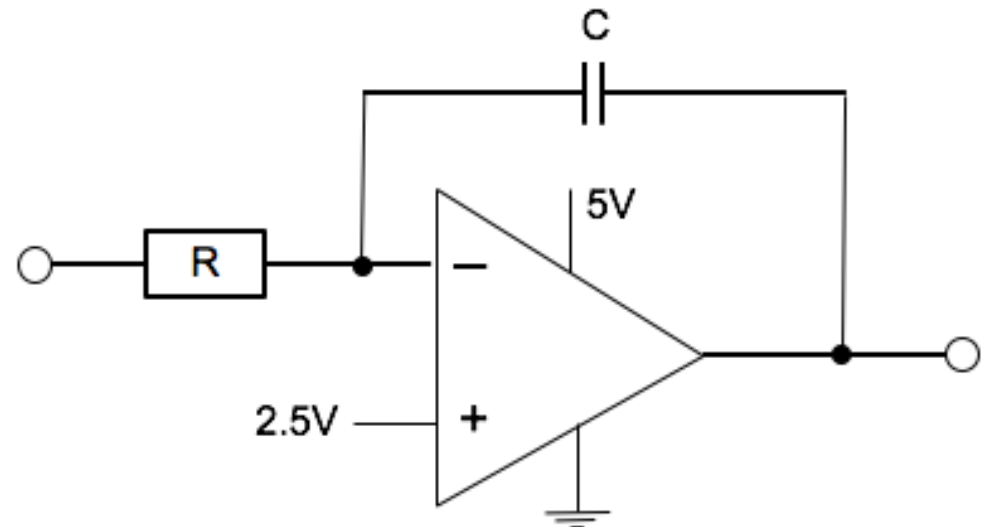


- ❖ I_C changes with V_C
- ❖ V_C is an exponential rise function (not perfect integral)

$$\diamond \text{Constant } I_C, V_C = \frac{i_C}{C} t + V_C(0)$$

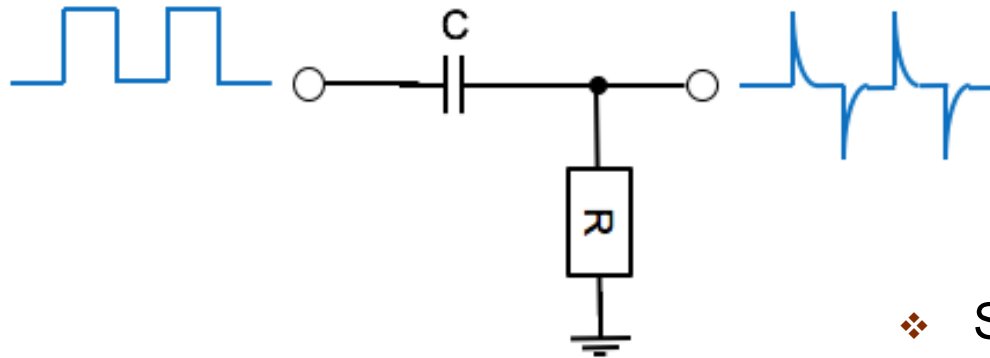


$$\diamond v_{out} = -\frac{V_{in}}{RC} t + V_C(0)$$

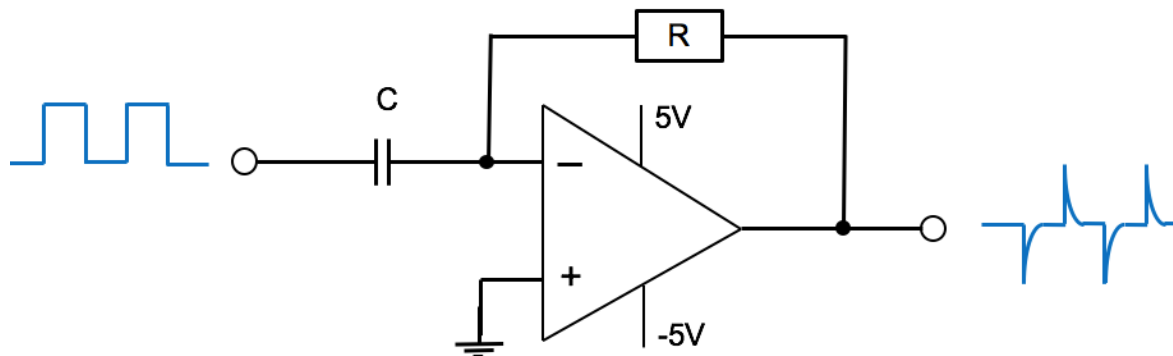


- ❖ Single supply operation

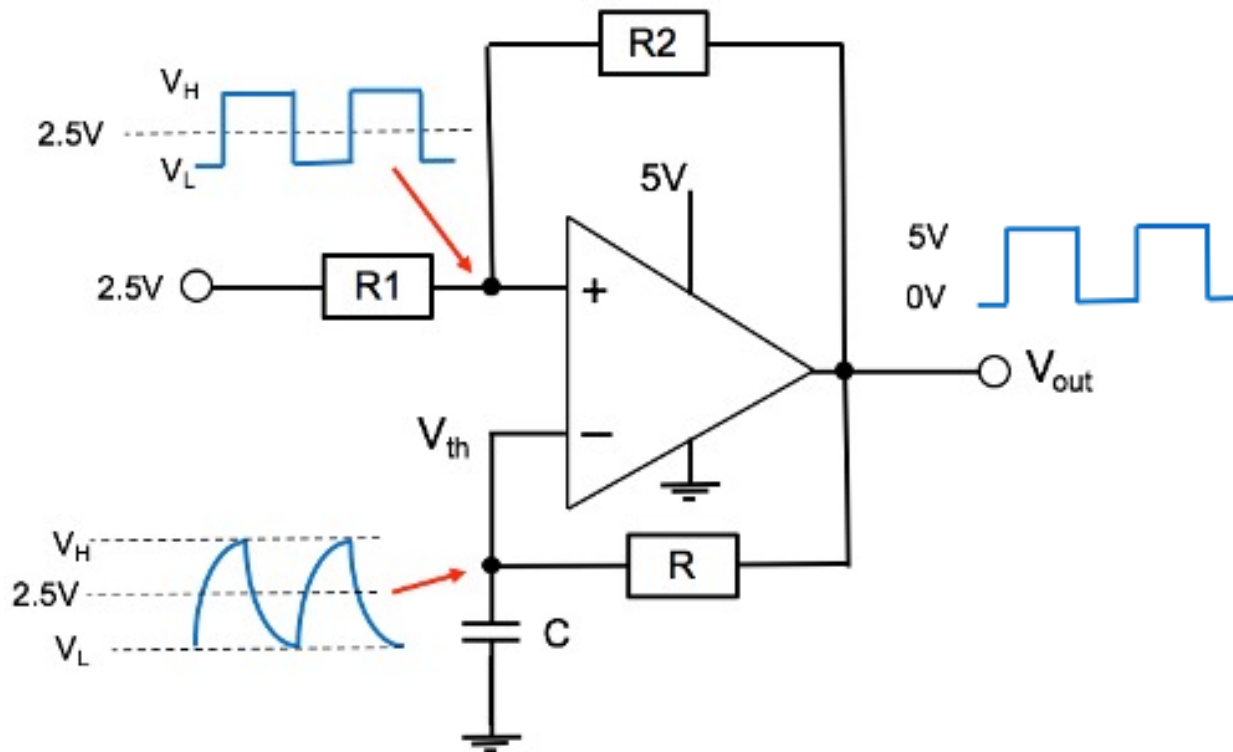
Differentiator



- ❖ Swap R and C
- ❖ Implement a differentiator
- ❖ Not used often because circuit tends to produce noisy output



Simple Oscillator



- ❖ Combine comparator with hysteresis and RC network = oscillator
- ❖ Voltage at V₊ change instantly with V_{out}:

$$V_H = 2.5 \left(1 + \frac{R1}{R1+R2} \right)$$

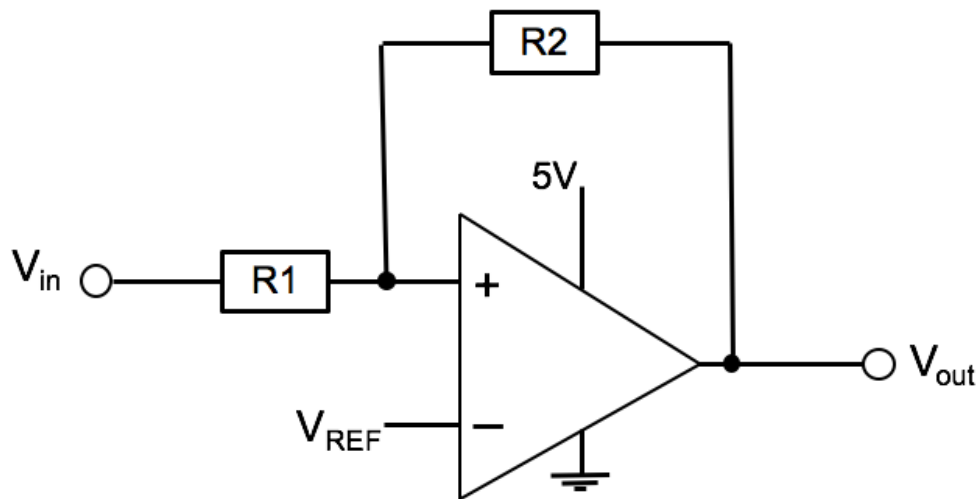
$$V_L = 2.5 \left(\frac{R2}{R1+R2} \right)$$

- ❖ V₋ = V_{th} rises and falls exponentially with a time constant of RC between V_H and V_L
- ❖ This is determined by the equation:

$$V_{th} = V_f + (V_i - V_f)e^{-\frac{t}{\tau}}$$

V_i = initial value, V_f = final value, τ = time constant RC

Comparator with hysteresis



- ❖ V_{out} swings between V_{DD} and V_{SS}
- ❖ V_{out} changes state when V_+ reaches V_{REF}
- ❖ Apply KCL at V_+ :

$$\frac{V_{REF} - V_{in}}{R1} = \frac{V_{out} - V_{REF}}{R2}$$

$$\Rightarrow V_{in} = V_{REF} \left(1 + \frac{R1}{R2}\right) - V_{out} \left(\frac{R1}{R2}\right)$$

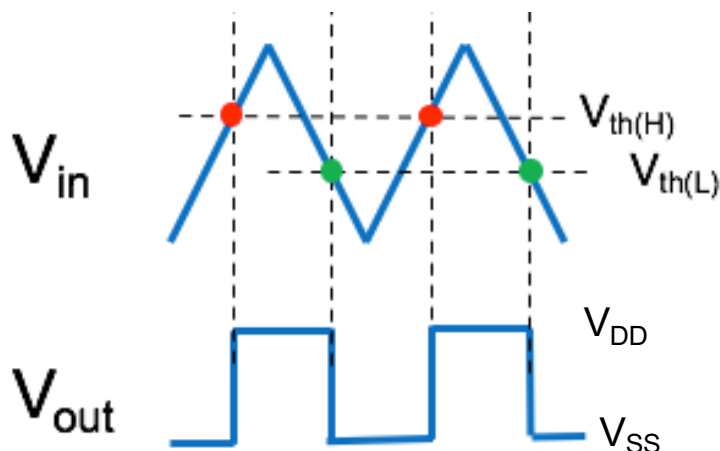
- ❖ If $R1 = 0$ or $R2 = \infty$, $V_{th} = V_{REF}$

- ❖ $R1 > 0$, $R2 \neq \infty$

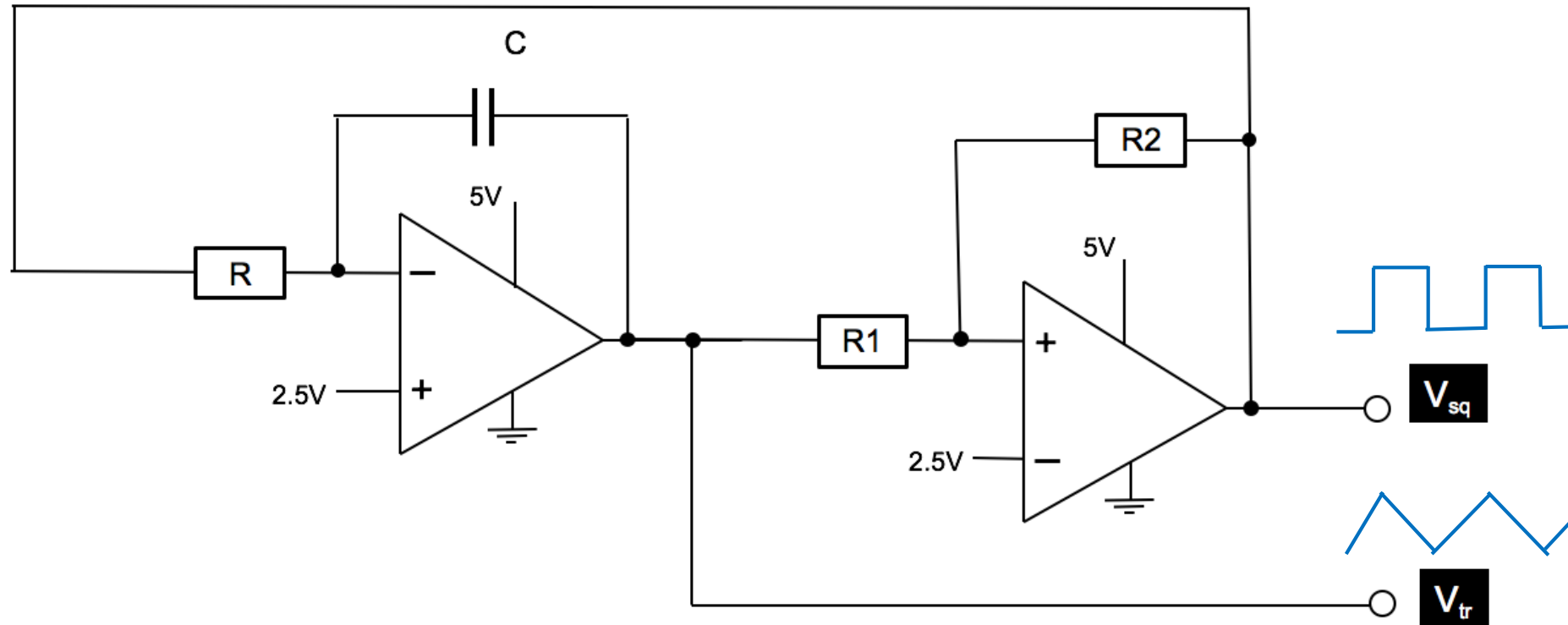
$$V_{th(H)} = V_{REF} \left(1 + \frac{R1}{R2}\right) - V_{SS} \left(\frac{R1}{R2}\right)$$

$$V_{th(L)} = V_{REF} \left(1 + \frac{R1}{R2}\right) - V_{DD} \left(\frac{R1}{R2}\right)$$

- ❖ Hysteresis = $V_{th(H)} - V_{th(L)}$

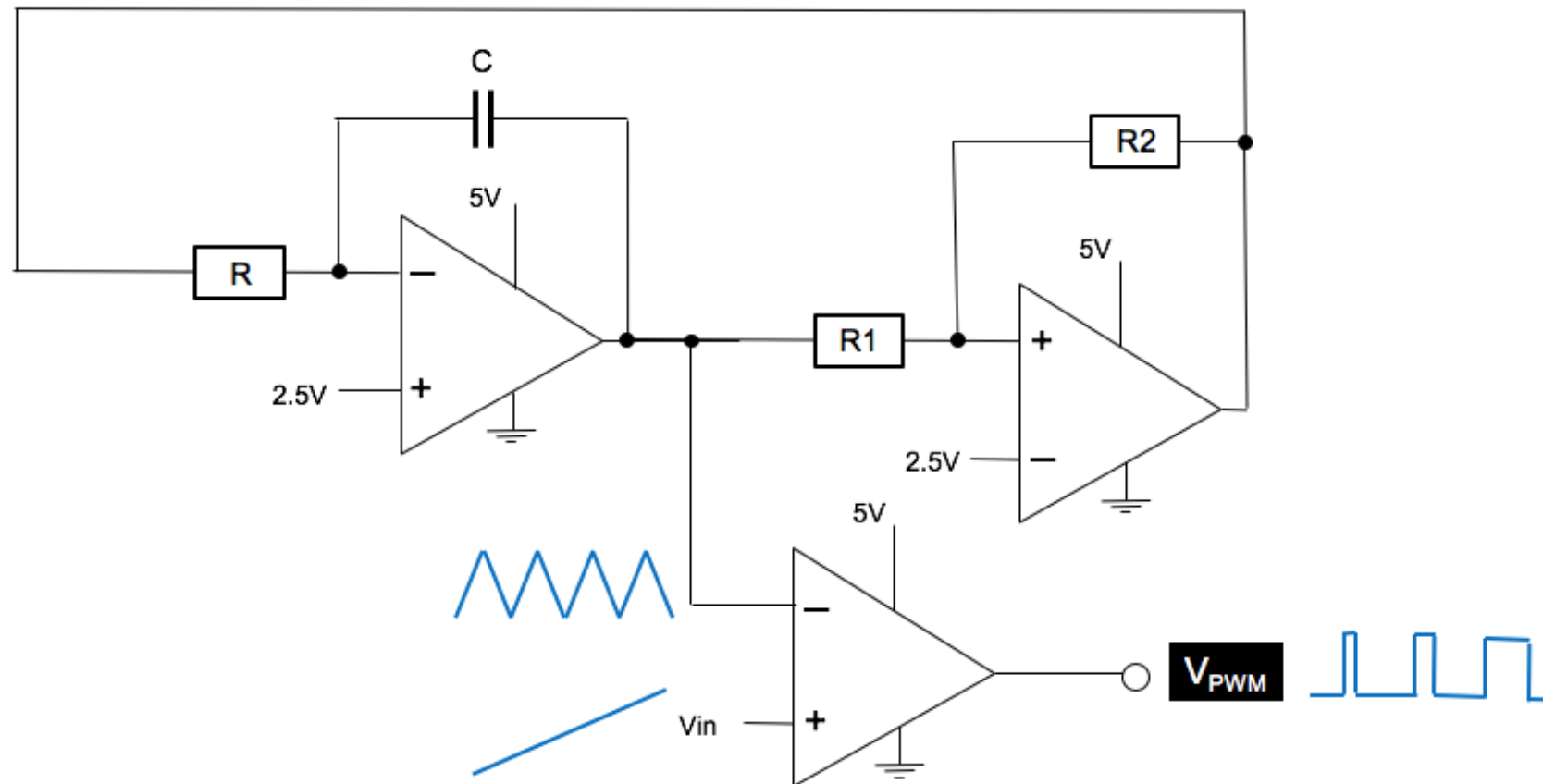


Triangular and Square wave generator



- ❖ Better oscillator circuit using integrator + comparator with hysteresis
- ❖ Integrator output produces a triangular signal
- ❖ Comparator (with hysteresis) produces a square signal
- ❖ Feedback circuit ensures oscillation is maintained

Pulse-width Modulator



- ❖ Comparing triangular signal with V_{in} -> pulse-width modulated output
- ❖ Frequency of triangular signal $\gg V_{in}$ frequency
- ❖ Output pulse width proportional to value of V_{in}
- ❖ Recover V_{in} by lowpass filtering V_{PWM}